

# **CANKAYA UNIVERSITY** PHYS 132 – PHYSICS II

#### **CHAPTER 29 MAGNETIC FIELDS DUE TO CURRENTS PROBLEM SET**

- **1)** Determine the magnitude and direction of the force between two parallel wires 25 m long and 4.0 cm apart, each carrying 35 A in the same direction.
	- **[Answer: 0.15 N, attractive]**
- **2)** An experiment on the Earth's magnetic field is being carried out 1.00 m from an electric cable. What is the maximum allowable current in the cable if the experiment is to be accurate to  $\pm 2.0$  %? [Earth magnetic field =  $0.5 \times 10^{-4}$  T] [Answer: 5.0 A]
- **3)** \*\*\* Two long thin parallel wires 13.0 cm apart carry 35-A currents in the same direction. Determine the magnetic field vector at a point 10.0 cm from one wire and 6.0 cm from the other (Fig. 28–34). **[Answer: 1.2**  $\times$  **10<sup>-4</sup> T, 82<sup>0</sup>]**



**4)** Let two long parallel wires, a distance *d* apart, carry equal currents *I* in the same direction. One wire is at  $x = 0$ , the other at  $x = d$ , Fig. 28–38. Determine **B** along the *x* axis between the wires as a function of *x*.





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**5)** Two long wires are oriented so that they are perpendicular to each other. At their closest, they are 20.0 cm apart (Fig. 28–39). What is the magnitude of the magnetic field at a point midway between them if the top one carries a current of 20.0 A and the bottom one carries 12.0 A? **[Answer: 4.66**  $\times$  **10<sup>-5</sup> T**]

$$
I_T = 20.0 \text{ A}
$$
  
10.0 cm  

$$
B = ? \bullet
$$
  
10.0 cm  

$$
\frac{1}{\text{Bottom wire}} \rightarrow I_B = 12.0 \text{ A}
$$

**6)** A 40.0-cm-long solenoid 1.35 cm in diameter is to produce a field of 0.385 mT at its center. How much current should the solenoid carry if it has 765 turns of wire?

#### **[Answer: 0.160 A]**

7) \*\*\* A coaxial cable consists of a solid inner conductor of radius  $R_1$ , surrounded by a concentric cylindrical tube of inner radius  $R_2$  and outer radius  $R_3$  (Fig. 28–42). The conductors carry equal and opposite currents  $I_0$  distributed uniformly across their cross sections. Determine the magnetic field at a distance *R* from the axis for: (*a*)  $R < R$ <sub>1</sub>; (*b*)  $R_1 < R < R_2$ ; (*c*)  $R_2 < R < R_3$ ; (*d*)  $R > R_3$ . (*e*) Let  $I_0 = 1.50$  A,  $R_1 = 1.00$  cm,  $R_2 = 2.00$  cm, and  $R_3 = 2.50$  cm. Graph *B* from  $R = 0$  to  $R = 3.00$  cm.

[Answer: a) b) c) d)  
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B = \frac{\mu_0 I_0 R}{2\pi R_1^2}
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$$
B = \frac{\mu_0 I_0}{2\pi R}
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$$
B = \frac{\mu_0 I_0}{2\pi R} \left(\frac{R_3^2 - R^2}{R_3^2}\right)
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B = \frac{\mu_0 I_0}{2\pi R} \left(\frac{R_3^2 - R^2}{R_3^2}\right)
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B = \frac{\mu_0 I_0}{2\pi R} \left(\frac{R_3^2 - R^2}{R_3^2}\right)
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B = \frac{\mu_0 I_0}{2\pi R} \left(\frac{R_3^2 - R^2}{R_3^2}\right)
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B = \frac{\mu_0 I_0}{2\pi R} \left(\frac{R_3^2 - R^2}{R_3^2}\right)
$$



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**8)** \*\*\* A wire, in a plane, has the shape shown in Fig. 28–43, two arcs of a circle connected by radial lengths of wire. Determine **B** at point C in terms of  $R_1, R_2, \theta$  and the current *I*.

**[Answer:** 





**9)** A circular conducting ring of radius *R* is connected to two exterior straight wires at two ends of a diameter (Fig. 28–44). The current *I* splits into unequal portions (as shown) while passing through the ring. What is  $\vec{B}$  at the center of the ring?

**[Answer:** 



**10)** Use the result of Problem 41 to find the magnetic field at point P in Fig. 28–50 due to the current in the square loop. [Result of Problem 41, magnetic field formula at point P along y axis : **[Answer:**

$$
\frac{\mu_0 I}{4\pi y} \frac{d}{\left(y^2 + d^2\right)^{1/2}} \hat{\mathbf{k}} \cdot \frac{\mu_0 I}{4\pi d} \left(\sqrt{2} - \frac{\sqrt{5}}{2}\right) \hat{\mathbf{k}} \quad
$$